

- 1 Scale structure (~15)
- 2 Absolute adjectives (~10)

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**Scale structure**

**Counter-Evidence from**

**Degree modifiers**

# Scale structure

Kennedy and McNally 2001-2005; Winter and Rothstein 2005; Kennedy 2007

The basic motivation: The distribution & semantics of degree modifiers

<b>Minimizers :</b>	<i>{slightly, somewhat, a bit}</i>	$\lambda G \lambda x. \exists d > \mathbf{min(G)}, G(d)(x)$
<b>Maximizers</b>	<i>{perfectly, completely, entirely, fully}</i>	$\lambda G \lambda x. \exists d = \mathbf{max(G)}, G(d)(x)$
<b>Proportional :</b>	<i>{half, partially, n%}</i>	$\lambda G \lambda x. \exists d = (\mathbf{max(G)} - \mathbf{min(G)})/2, G(d)(x).$
<b>Boosters:</b>	<i>{pretty, very, rather}</i>	$\lambda G \lambda x. \exists d >> \mathbf{cutoff(G)}, G(d)(x)$

<b>Relative As</b>	<i>tall /short</i>	<b>doubly open, (-min,-max)</b>
<b>Partial As</b>	<i>dirty /wet</i>	<b>lower bound, [+min,-max)</b>
<b>Total As</b>	<i>clean /dry</i>	<b>upper bound, (-min,+max]</b>
	<i>empty/full, open/closed, transparent/ opaque</i>	<b>doubly bound, [+min,+max].</b>

This classification helps establishing :

- standard type (Kennedy 2007; Syrett 2007)
- licensed inferences e.g., *x is Per than y* => x is P, if P is partial; y is not P, if P is total (Kennedy and McNally 2005).

# Problem: Modifier interpretations

**Minimizers + doubly bound As:** *slightly/a bit + full/empty/closed*

**Grammaticality:** A bit deviant

**Frequency:** Partial (lower bound) >> Total (lower+upper/upper bound)

**Interpretation:** Different with total and partial adjectives

The city square is

a. *slightly/a bit dirty*

⇒

is covered by a small amount of dirt;  
is more clean than dirty.

b. *slightly/a bit full*

⇒

is rather full;  
is more full than empty

c. *slightly/a bit empty*

⇒

is rather empty; mostly empty  
is more empty than full

d. *slightly clean* (= rather clean) ≅ *slightly dirty*

Any degree above  
the minimum, but -  
close to it

Cannot reference  
degrees close to the  
minimum!

⇒ **This data is not at all expected by the standard analysis of minimizers  
(as  $\lambda G \lambda x. \exists d > \min(G), G(d)(x)$ ) and these adjectives (as +min).**

# *Slightly as rather*

In a naturally occurring use of *too*:

a. Thanksgiving dinner has been eaten and re-eaten. The turkey's been picked down to the bones. Endorphins lulled you to sleep with that **slightly "full"** feeling. Your house seems **rather full too**, with family and friends occupying every seat

*Slightly empty* = 'but few fotos' = *rather empty*:

b. Home now but slightly empty handed. **didn't take a lot of photos** while away.

*Slightly empty* = rather empty yet not sterile:

c. ...makes me think of an Edward Hopper painting. **Slightly empty and yet slightly not sterile.**

# Google image for Slightly full



# Slightly dirty $\cong$ Slightly clean



Google image

# A new analysis: *Slightly G* $\cong$ *Barely G*

(inspired by Sevi 2001; Horn 2010)

**Referencing Gs Ger than no G:** (i) degrees  $d_1$  above G's cutoff, s.t. (ii) any  $d_2$  a tiny bit smaller than  $d_1$  fails to exceed the cutoff (iii)  $d_1$  is not the maximum

$\lambda G \lambda x$ . (i)  $\exists d_1 \geq \text{cutoff}(G), G(d_1)(x)$

(ii)  $\forall d_2 < d_1, d_2 < \text{cutoff}(G)$

(iii)  $\exists d_3 \geq d_1, \neg G(d_3)(x)$ .

$\Rightarrow$  The standard must be smaller than  $\text{max}(\text{full})$ , thus the deviance of minimizers + total As

$\Rightarrow$  Reference to cutoff, thus the *rather full vs. little dirty* inferences

# Minimizers not referencing minimums

To capture both *slightly dirty* and *slightly full/empty* we need to give away reference to absolute minimums,  $\min(\text{full}) / \min(\text{dirty})$

This eliminates the basic motivation for the +min vs. -min distinction.

Why should *full* but not *tall* have an absolute minimum?

- Both have no non-zero minimum:

–*Full* ranks volumes of full parts of containers.

–But *volume* is infinitely divisible, just like *height*. One can never get to absolute zero volume by taking full parts of containers (volumes) and dividing them.

- Both have a zero:

–Why should it be internal for *full* but external for *tall* ???

–An arbitrary difference? So how do children learn it?

–The economy principle (an existing endpoint must be the cutoff; Kennedy 2007) is economic only if the existence of an endpoint is easily predictable., but is it??

# #Minimizers + Relative 'all open' As

Slightly P entities must be P, minimally Per than a non P;

But, intuitively, any entity minimally shorter than a tall entity must also count as tall (=> the Sorites paradox, indicative of relative adjectives; Kennedy 2007).

+/- A prominent cutoff

*# slightly tall/ short*

<=> +/- *slightly*

vs.

*slightly tall for my age*

*slightly too short to reach the ceiling.*

A bit tall a bit short = borderlines; near cutoff, not 0!

≅ neither/both tall and short = we can't draw a line, so we must say both things despite inconsistency

≠ minimally tall (almost 0 height), minimally short (almost infinity)

# *Somewhat*

A minimizer not relating to cutoffs:

*Somewhat P*  $\not\Rightarrow$  P (except in partials)  
 $\Rightarrow$  not quite P

Modifies relative (mainly negative) adjectives:

*Somewhat short, slow, fat*

(not a reliable cue to +min absolute adjectives. )

**To conclude, the proposed analysis undermines the  $\pm$ min distinction (lower-bound vs. lower-open As)**

# Standard-boosters: *Pretty, rather, very* Maximizers: *completely, totally,*

Boosters imply P with relative/partial Ps; not P, with total Ps

*Pretty/rather long*  $\Rightarrow$  *long*

*Pretty/rather bent*  $\Rightarrow$  *bent*

*Pretty/rather straight*  $\Rightarrow$  **not** *straight*

Maximizers imply max P with total Ps, but not with other Ps

*Completely full*  $\Rightarrow$  *max. full*

*Completely beautiful/dirty*  $\nRightarrow$  *max. beautiful/dirty*

Dutch, Russian, Hebrew...

Unger (1975); Kennedy and McNally (2001): Repair strategies, Ambiguity

- *pretty straight*  $\cong$  *pretty close to straight*  $\Rightarrow$  **not** *straight*

- **Completely** has another sense similar to that of *very*

This is necessary when relying on absolute maximums (scale maximum), rather than local, argument dependent, context sensitive maximums

# Negative relative As license maximizers

## Russian:

Maximizers can modify relative adjectives, as in:

*Entirely short* (Tribushinina, to appear):

≠ The absolute zero on the height scale

= Some **context dependent minimum** height

## English:

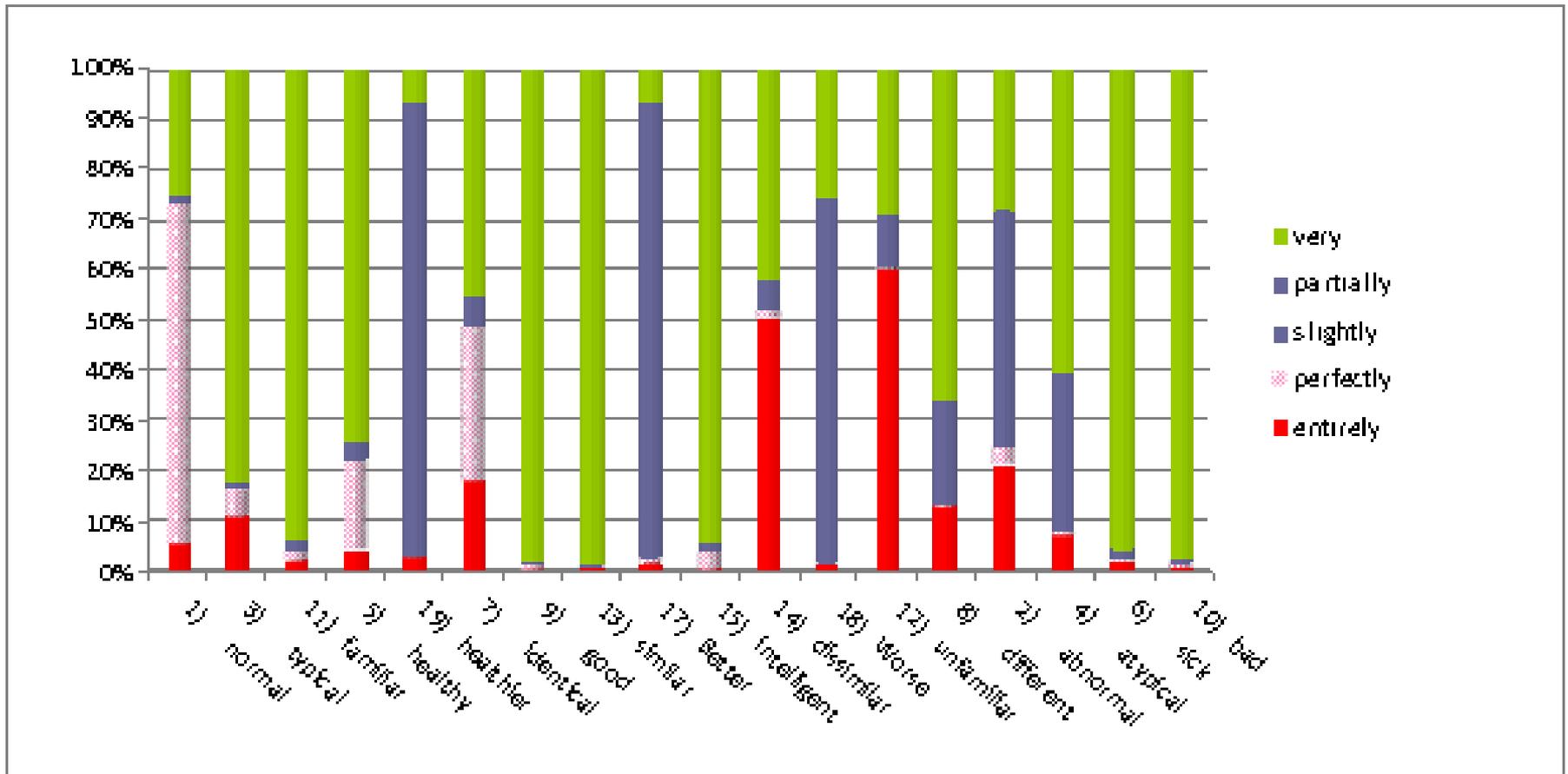
*Entirely different* (Syrett 2007)

*Entirely dissimilar, sick, bad, abnormal...*

## Dutch:

*Helemaal* with relative/partial As (Tribushinina 2010)

# Entirely: Non total negative As Google



# Unexpected results wrt negative adjectives

By other standard tests, *bad* is relative/partial:

- #*the paper is not bad, but it is somewhat bad* is odd;
- *my paper is worse than yours* => my paper is bad
- *my paper is worse than yours* ≠> your paper is not bad

By modifier distribution, *bad* is relative/total:

- *entirely bad* and *perfectly bad* are grammatical
- *slightly bad* and *somewhat bad* are odd
- | *entirely / perfectly bad* | >> | *slightly / partially bad* |

The corpus of contemporary American English (Coca, Nov. 2010)	<u>Slightly</u>	<u>Somewhat</u>	<u>Slightly</u>	<u>Somewhat</u>
	<u>A</u>	<u>A</u>	<u>Adv</u>	<u>Adv</u>
<b>Full</b>	0.004%	0.00%	<b>0.05%</b>	0.00%
<b>empty</b>	0.000%	0.02%	0.00%	<b>0.15%</b>
<b>opaque</b>	<b>0.057%</b>	0.40%	<b>0.30%</b>	<b>2.10%</b>
<b>transparent</b>	<b>0.102%</b>	0.10%	<b>0.49%</b>	<b>0.49%</b>
<b>closed</b>	0.011%	0.01%	<b>0.15%</b>	<b>0.15%</b>
<b>open</b>	<b>0.118%</b>	0.01%	<b>1.65%</b>	<b>0.15%</b>
<b>clean</b>	0.000%	0.01%	0.00%	0.12%
<b>dirty</b>	<b>0.051%</b>	0.05%	<b>0.87%</b>	<b>0.87%</b>
<b>healthy</b>	0.000%	0.02%	0.00%	<b>0.16%</b>
<b>sick</b>	<b>0.104%</b>	0.02%	<b>0.81%</b>	<b>0.14%</b>
<b>wet</b>	0.073%	0.00%	<b>0.81%</b>	0.00%
<b>dry</b>	<b>0.028%</b>	0.05%	<b>0.37%</b>	<b>0.68%</b>
<b>straight</b>	0.000%	0.00%	0.00%	0.04%
<b>bent</b>	<b>2.448%</b>	0.02%	<b>33.46%</b>	<b>0.26%</b>
<b>long</b>	0.003%	0.00%	0.02%	0.02%
<b>short</b>	<b>0.015%</b>	<b>0.06%</b>	<b>0.08%</b>	<b>0.29%</b>
<b>fast</b>	0.003%	0.00%	0.01%	0.00%
<b>slow</b>	<b>0.031%</b>	<b>0.06%</b>	<b>0.26%</b>	<b>0.51%</b>

# Conclusions 1

- Minimizers give no evidence for +/-min
  - Maximizers hardly do for +/- **absolute** max.
  - We want, ideally, one interpretation per modifier, that still predicts the differences between adjective types
- ⇒ The basic data motivating the typology of scale-structure and economy principle are still puzzles.

**2**

# **Absolute vs. relative As:**

**Variance within vs. between individuals, resp.**

**with Assaf Toledo, Utrecht**

# All interpretations of *x is A* employ a comparison class C, but:

In Relative As: C = A prominent category of x

In Absolute As: C = Realizations of x in other indices (x's counterparts; Lewis 1986).

*The child is tall/ short:* In comparison with other concrete children  
Many possible categories (the child's class, age, gender, all children, etc.)  
=> equally prominent (or no) bounds  
=> Vagueness

*The shirt is dirty /clean:* In comparison with how dirty or clean that same shirt could be (cf. Bierwisch 1989).

The individual imposes bounds on the class variance  
(how unsoiled and bright we can imagine the shirt to be)  
=> Contextual(!) endpoint standards

# A counterpart class

Let POS, C and f associate adjectives A in indices w with:

(i) a set of instances:  $\text{POS}(A,w)$

(ii) a degree function:  $f(A,w): D_x \rightarrow D_d$

(iii) a function from entities x into comparison classes:

$$\lambda x \in D_x. C(A,x,w)$$

**A is *absolute* iff  $\forall x_1, C(A,x_1,w) \subseteq \{x_2 \in D_x \mid \text{counterparts}(x_1,x_2,v), R(v,w)\}$**

World knowledge and contextual purposes (e.g. precision level) affect interpretation by restricting  $C(A,x,w)$  to counterparts of indices that are normal with respect to A, x and w (Kratzer 1981).

# Absolute: Variance between individuals

**Partial  $A_p$ :**  $\text{POS}(A_p, w) = \lambda x \in C(A_p, x, w). \exists y \in C(A_p, x, w), f(A_p, w)(x) > f(A_p, w)(y)$

*The table is dirty* is true iff it is covered with more dirt than one of its contextually prominent counterparts is (so it exceeds the minimum for itself)

**Total  $A_T$ :**  $\text{POS}(A_T, w) = \lambda x \in C(A_T, x, w). \forall y \in C(A_T, x, w), f(A_T, w)(x) \geq f(A_T, w)(y)$

*The room is full* is true iff the room is at least as full as any of its prominent counterparts (so it reaches the maximum for itself.)

e.g., if  $f(\text{empty}, w) =$  |free chairs in x in w|

$C(\text{empty}, x, w) =$  x in any v with equally many chairs but different no. of free chairs

*The room is empty except for one chair*  $\cong$

|Free chairs in x in w|  $\geq$  |Free chairs in x in v| - 1, for all v

# Intuitive inference patterns

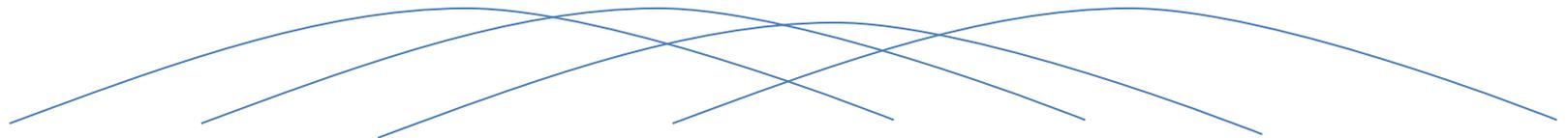
- a. **x is full/Empty**  $\Rightarrow$   
x is as full/empty as x can be  
(x can't be fuller/emptier)
- b. **x is Dirty/clean**  $\Rightarrow$   
x can/ can't be cleaner (less dirty),  
respectively.
- c. **x is tall/short**  $\nRightarrow$   
x is (not) as tall/short as x can be  
(we may infer that x can be either taller or  
shorter, or neither, but nothing follows).

# Relative: Variance within individuals

*The child is tall*

No single comparison class = x's class, boys at x's age, boys, eight year olds, children, ...  
No natural max / min height in many of the sets for POS(tall,w) to relate to.

0



*tall's* scale is **NOT** linguistically construed as open on both sides.

Zero height exists and is captured easily by speakers.

**But** no child comes close to it! Nor do we know the non-zero minimum for children.

- ⇒ *Tall* can only reference positive deviations from some midpoint
- ⇒ In normal distributions, this could be the average
- ⇒ In many cases this could be any rel. big height gap in the comparison class
- ⇒ When and only when the comparison class is sufficiently restricted, POS( $A_R, w$ ) can reference deviation from the midpoint:
  - partial modifiers (as in *slightly tall for his age*)
  - partial inferences (*x is taller than y is short* => *x is tall*).

# #*This glass is full for a wine glass*

For **no**  $x, w$ ,  $C(\text{full}, x, w) = \lambda_{x \in D_x} \text{wine-glass}(x, w)$ .

The comparison class = The same glass in different indexes  $\neq$

The *for* phrase imposes = A class of different glasses in the same index

(Cf. the standard theory: *for* phrases are bad because the standard is absolute – can't vary with context)

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## Standard-shifts due to context

(Cruse 1980)

- A surgery knife vs. a kitchen knife
- A wine glass filled up to the middle counts *full*, while a *fuller* tea cup does not.
- In Italy, a *completely full* Espresso cup is *less full* than a *half full* tea cup.
- *When Bill is absolutely polite and Jane completely impolite, she is still more polite.*

The consistency of such judgments speaks **against absolute scale-maxima**, in favor of **comparison-class maxima**.

The maximum among the counterparts may be different in different entities.

## *The tall one* vs. *#the full one*

Context (Kennedy 2007): Only two salient glasses,  $\{g_1, g_2\}$ , neither tall nor full:

- We can ask for *the tall one*

because the taller counts as *the tall* for  $\{g_1, g_2\}$ ,

- But we cannot possibly ask for *the full one*

because  $\{g_1, g_2\}$  is not a proper comparison class and none of the glasses is as full as it can be.

# Modifiers as restrictors or wideners

(inspired by Yael Greenberg 2010, PC)

**Pragmatics:** Fine-grained degrees may normally be ignorable (e.g. single grains of dust).

**Boosters:** Comparison class restrictors (Klein 1980) =>  
weakening universals: *rather full/clean*  $\Rightarrow$  *not full/clean*  
strengthening existentials: *rather dirty*  $\Rightarrow$  *dirty*

**Maximizers:** Widener to the *complete* set of counterparts =>  
strengthening universals: *completely full*  $\Rightarrow$  *full*

**Minimizers:** Widener weakening existentials:  
*slightly dirty*  $\Rightarrow$  *dirty* wrt slight amounts of dirt.

# Relative comparisons for absolute As

x can be **dirtier than y**

either because the amount of dirt on x is greater,  $f(\text{dirty},w)(x) > f(\text{dirty},w)(y)$ ,

or because, for ex., x is covered with pretty much dust (compared to x), and y isn't (compared to y); so **x is pretty dirty, but y isn't** (cf. Kamp 1980; Doetjes 2010).

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## Relative interpretations for absolute As:

*Very* is frequent (Syrett 2007) and it allows for *for* phrases (McNally 2010):

**For a new student, she is very familiar with the class routines and regulations, in fact she is completely familiar with them**  $x \in \text{POS}(\text{Very } P_R, x, w)$  &  $x \in \text{POS}(P_T, x, w)$

“X is very  $P_T$  “ is a bit deviant (like “slightly  $P_T$ ”):

Very P = the result of applying P supposing the comparison class is the set of P entities (Klein 1980)

$\text{POS}(\text{Very } P_T, x, w) = \lambda x \in \text{POS}(P_T, x, w)$ . X is maximally  $P_T$  in  $\text{POS}(P_T, x, w)$  (as  $P_T$  as x can be) =>

$\text{POS}(P_T, x, w) \neq \lambda x \in C(P_T, x, w)$ . x is maximally  $P_T$  in  $C(P_T, x, w)$  (as  $P_T$  as x can be) ☹

So the relative int. with *very* comparing **between** individuals is preferred:

$\text{POS}(\text{Very } P_R, x, w) = \lambda x \in \text{POS}(P_R, x, w)$ . X is more  $P_R$  than some midpoint/gap in  $\text{POS}(P_R, x, w)$  ( =>  $P_R$ ) ☺

# An incongruent condition with adjectives?

## Acceptability judgments, DUTCH

(with Tribushinina, Gulian and Timmer)

Our neighbors are

- |            |                 |              |
|------------|-----------------|--------------|
| Nouns      | 1. Congruent:   | lawyers.     |
|            | 2. Incongruent: | #ideas.      |
| Adjectives | 3. Congruent:   | intelligent. |
|            | 4. Incongruent: | #abstract.   |

1 = "totally unacceptable", 7 = "totally acceptable".

One way Anova with four correlated samples:

Congruent vs. Incongruent

Nouns: **M1 >> M2 P<.01**

Adjectives: **M3 >> M4 P<.01**

Nouns vs. Adjectives

Congruent **M1 << M3 P<.05**

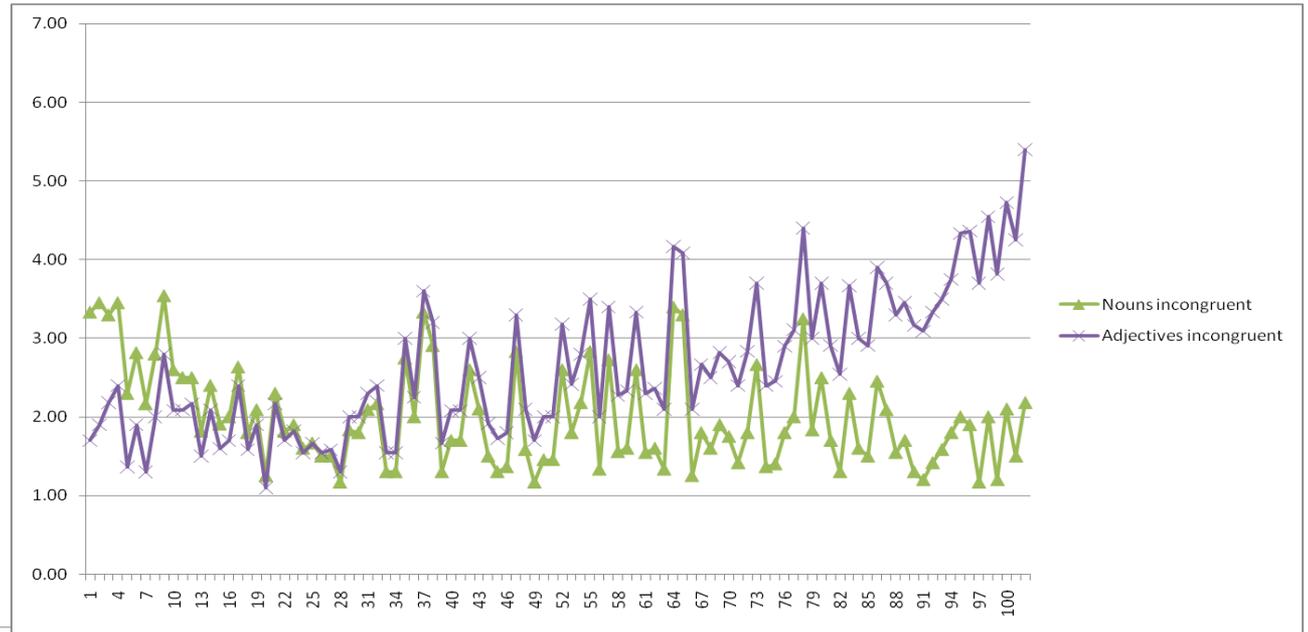
Incongruent **M2 << M4 P<.01**

If adjectival predicates are in fact generally more acceptable than nominal ones, this supports an analysis whereby their interpretation is heavily dependent on the thing they are predicated of.

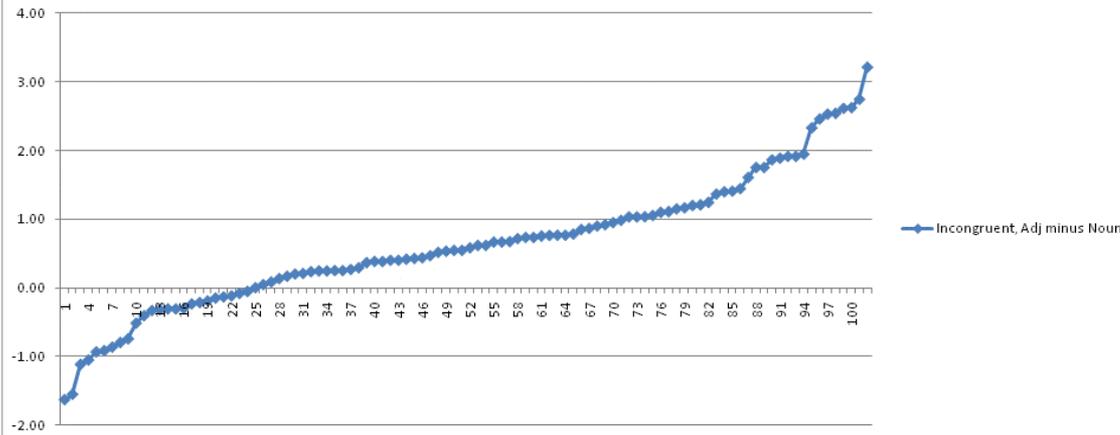
	Samples				Total
	1 Nouns congruent	2 Nouns incongruent	3 Adjectives congruent	4 Adjectives incongruent	
N	102	102	102	102	408
Mean	5.3261	1.9995	5.7212	2.6285	3.9188
Std.Dev.	1.1991	0.6315	1.0114	0.9031	1.8876

# An incongruent condition with adjectives?

## Acceptability judgments, DUTCH



Incongruent, Adj minus Noun



'unacceptable'

“These bushes are ideas” vs.  
“These bushes are abstract” (4.8).

'poetic', 'metaphoric'

# An incongruent condition with adjectives?

## Acceptability judgments, DUTCH

Instructions:

A sentence is **acceptable** if it sounds normal, natural, you would not be surprised if you come across its meaning; a sentence is **unacceptable** if it sounds incorrect or strange.

1 = "totally unacceptable", 7 = "totally acceptable".

Deze gebeurtenissen zijn piepklein.	These events are tiny.	Deze struiken zijn abstract	These bushes are abstract	1.564452	3.67
Dronken bestuurders zijn duidelijk.	Drunk drivers are clear.				3.00
Zijn brieven zijn gierig.	His letters are greedy.				2.91
Alle sprookjes zijn onbreekbaar.	All stories are unbreakable.				3.90
De kinderen zijn ruw.	The kids are raw.				4.36
De garnalen zijn relaxed.	The shrimp are relaxed.				3.70
Paarse vlinders zijn logisch.	Purple butterflies are logical.				3.33
Sommige vloeistoffen zijn rommelig.	Some liquids are messy.				3.50
Deze straten zijn sterk.	These streets are strong.				3.82
Haar ideeën zijn intact.	Her ideas are intact.				4.73
Onze plafonds zijn hardvochtig.	Our ceilings are harsh.				4.25

# Conclusions 2

A convention for the creation of a comparison class or its lack thereof (rather than scale structure) is the basis for differences between Adj. types:

- Their standards
- Inference patterns
- Licensing & interpretation of degree modifiers
- Context sensitivity at times and its absence at other times in absolute adjectives.

Which As classify as absolute/relative:

- /+ Possibility to interpret as absolute (\*tall<sub>T</sub>)
- /+ Unit based measurement convention ??

OR

**THANK YOU!**

Comments are most welcomed

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07.10.2010